

# Programming techniques

## Week 14 C++11

### C++11

- New version of the C++ standard released in 2011, only slowly being adopted by compiler vendors.
- Partial support in latest versions of GNU, clang, Intel and Microsoft compilers
- Need to add the `--std=c++11` option when compiling

# Random number generators

- The `<random>` header contains
  - random number generator engines
  - random number distributions
- The distributions are called with the engine as argument to create random numbers

```
#include <random>
#include <iostream>

int main()
{
    std::mt19937 mt; // create an engine

    // create four distributions
    std::uniform_int_distribution<int> uint_d(0,10);
    std::uniform_real_distribution<double> ureal_d(0.,10.);
    std::normal_distribution<double> normal_d(0.,4.);
    std::exponential_distribution<double> exp_d(1.);

    // create random numbers:
    std::cout << uint_d(mt) << "\n";
    std::cout << ureal_d(mt) << "\n";
    std::cout << normal_d(mt) << "\n";
    std::cout << exp_d(mt) << "\n";

    return 0;
}
```

## Random number engines in C++11

- Linear congruential generators
  - `minstd_rand0`
  - `minstd_rand`
- Mersenne twisters:
  - `mt19937`
  - `mt19937_64`
- Other generators
  - `ranlux24`
  - `ranlux48`
  - `knuth_b`

# Seeding C+11 generators

- There are two member functions for seeding
  - simple seeding by an integer:

```
// create an engine  
std::mt19937 mt;  
  
// seed the generator  
mt.seed(42);
```

- seeding from a seed sequence

```
// create a vector of seeds  
int N = ....;  
  
std::vector<int> seeds(N);  
  
// fill the vector, e.g. by an LCG generator minstdrand  
...  
  
// create a seed sequence and use it to seed a generator  
  
std::seed_seq seq(seeds.begin(), seeds.end());  
mt.seed(seq);
```

- exercise: seed multiple generators for use with parallel MC program

# Distributions in C++11

- Distributions are templated on the type of return values and the parameters of the distribution are passed to the constructor
- Uniform distributions
  - uniform\_int\_distribution<T>
  - uniform\_real\_distribution<T>
  - generate\_canonical<T> // uniform real numbers in [0,1)
- Bernoulli distributions
  - bernoulli\_distribution<T>
  - binomial\_distribution<T>
  - negative\_binomial\_distribution<T>
  - geometric\_distribution<T>
- Sampling distributions
  - discrete\_distribution<T>
  - piecewise\_constant\_distribution<T>
  - piecewise\_linear\_distribution<T>

# Distributions in C++11 (cont.)

- Poisson distributions
  - `poisson_distribution<T>`
  - `exponential_distribution<T>`
  - `gamma_distribution<T>`
  - `weibull_distribution<T>`
  - `extreme_value_distribution<T>`
- Normal distributions
  - `normal_distribution<T>`
  - `lognormal_distribution<T>`
  - `chi_squared_distribution<T>`
  - `cauchy_distribution<T>`
  - `fisher_f_distribution<T>`
  - `student_t_distribution<T>`

## std::function

- A runtime polymorphic function object constructible from any compatible
  - function pointers
  - member function pointers
  - function object
  - lambda functions
- Great for callbacks, collections of callbacks, and threading
- Declaration of the result and argument types
  - `std::function<Result(Arg1,Arg2,Arg3)>`
- Our example use:

```
double simpson(std::function<double(double)> f,
                double a, double b, unsigned int N)
```



Doug Gregor

# auto

- The new **auto** keyword tells C++11 to deduce the type of a variable from the initializer argument:

```
auto x = 3.1415;
auto y = call_to_function_with_horrible_return_type();
```

- It saves complicated typing of types:

```
#include <iostream>
#include <functional>

int f(int x) { return x+1;}
int main()
{
    // function pointer
    int (*p1)(int) = f;

    // easier function pointer with auto
    auto p2 =f;

    // or here we could just have used std::function
    std::function<int(int)> p3=f;

    std::cout << (*p1)(42) << std::endl;
    std::cout << (*p2)(42) << std::endl;
    std::cout << p3(42)    << std::endl;
}
```

## Integrating a function of 2 variables

- Integrate  $\exp(-a*x)$  with Simpson over x
- Solution o: a function with two arguments?

```
#include "simpson.hpp"
#include <iostream>

// a function with two variables
double expax(double a, double x)
{
    return std::exp(a*x);
}

int main()
{
    // where do we set a?
    std::cout << simpson(expax,0.,1.,100) << std::endl;
    return 0;
}
```

- It does not even compile

```
lambda0.cpp:13:16: error: no matching function for call to 'simpson'
    std::cout << simpson(expax,0.,1.,100);
               ^~~~~~
./simpson.hpp:7:15: note: candidate function not viable: no known conversion from 'double
(double, double)' to
      'std::function<double (double)>' for 1st argument;
inline double simpson(std::function<double(double)> f, double a, double b, unsigned int N)
```

# Integrating a function of 2 variables

- Integrate  $\exp(-a*x)$  with Simpson over  $x$
- Solution 1: a global variable .... **ugly**

```
#include "simpson.hpp"
#include <iostream>

// an ugly global variable
double a;

// the function to be integrated
double expax(double x)
{
    return std::exp(a*x);
}

int main()
{
    a=3.4;
    std::cout << simpson(expax,0.,1.,100) << std::endl;
}
```

# Integrating a function of 2 variables

- Integrate  $\exp(-a*x)$  with Simpson over  $x$
- Solution 2: a function object .... **cumbersome**

```
#include "simpson.hpp"
#include <iostream>
#include <cmath>

// a function object for exp(a*x)
class expax
{
public:
    // set the parameter a in the constructor
    expax(double a) : a_(a) {}

    // the function call operator calculates the function
    double operator()(double x) { return std::exp(a_*x);}

private:
    double a_; // the fixed parameter a
};

int main()
{
    double a=3.4;
    std::cout << simpson(expax(a),0.,1.,100) << std::endl;
}
```

# Integrating a function of 2 variables

- Integrate  $\exp(-a*x)$  with Simpson over  $x$
- Solution 3: create a function object using `std::bind` ... better

```
#include "simpson.hpp"
#include <iostream>
#include <cmath>
#include <functional>

// a function with two variables
double expax(double a, double x)
{
    return std::exp(a*x);
}

int main()
{
    using namespace std::placeholders;

    double a=3.4;
    // bind one argument
    // _1, _2, ... are used for unbound arguments of the resulting function
    auto f = std::bind(expax,_1,a);
    std::cout << simpson(f,0.,1.,100) << std::endl;
}
```

## Better solutions: lambda functions

- Lambda functions are unnamed functions declared inside a statement:

```
#include <iostream>

int main()
{
    // create a function and store a pointer to it in f
    auto f = []() {std::cout << "Hello world!\n";};

    // call the function
    f();
}
```

# Better solutions: lambda functions

- Lambda functions are unnamed functions declared inside a statement:

```
#include <iostream>
#include <thread>

int main()
{
    // create a function and store a pointer to it in f
    auto f = []() {std::cout << "Hello world!\n";};

    // call the function in a thread
    std::thread t(f);
    t.join();
}
```

## Integrating with a lambda

- Integrate  $\exp(-a*x)$  with Simpson over  $x$
- Solution4: create a lambda function

```
#include "simpson.hpp"
#include <iostream>
#include <cmath>

int main()
{
    double a=3.4;

    // create a lambda function
    // [=] indicates that the variable a should be used inside the lambda
    auto f = [=] (double x) { return std::exp(a*x); };

    std::cout << simpson(f,0.,1.,100) << std::endl;
    return 0;
}
```

# Integrating with a lambda (shorter)

- Integrate  $\exp(-a*x)$  with Simpson over  $x$
- Solution 5: create a lambda function (even shorter)

```
#include "simpson.hpp"
#include <iostream>
#include <cmath>

int main()
{
    double a=3.4;
    std::cout << simpson([] (double x) { return std::exp(a*x); },0.,1.,100) << std::endl;
    return 0;
}
```

## The name capture specification

- The [] indicate a lambda function, and how variables from the enclosing scope should be used (captured) inside the lambda

[]	Capture nothing (or, a scorched earth strategy?)
[&]	Capture any referenced variable by reference
[=]	Capture any referenced variable by making a copy
[=, &foo]	Capture any referenced variable by making a copy, but capture variable foo by reference
[bar]	Capture bar by making a copy; don't copy anything else
[this]	Capture the this pointer of the enclosing class

# Recall type traits

- Remember the array addition problem

```
template <class T, class U>
Array<?> operator+(Array<T> const& x, Array<U> const& y)
{
    ...
}
```

- we solved it by using traits

```
template <class T, class U>
Array<typename sumtype<T,U>::type> operator+(Array<T> const& x, Array<U> const& y)
{
    ...
}
```

- but this traits class was hard to implement
- and why do we need to write a complex type trait if the compiler knows the type of a sum of T and U?

## typeof

- C++11 has a `typeof` operator, giving the type of an expression

```
template <class T, class U>
struct sumtype
{
    typedef typeof(T() + U()) type;
}
```

- and we can just use it directly

```
template <class T, class U>
Array< typeof(T() + U()) > operator+(Array<T> const& x, Array<U> const& y)
{
    ...
}
```